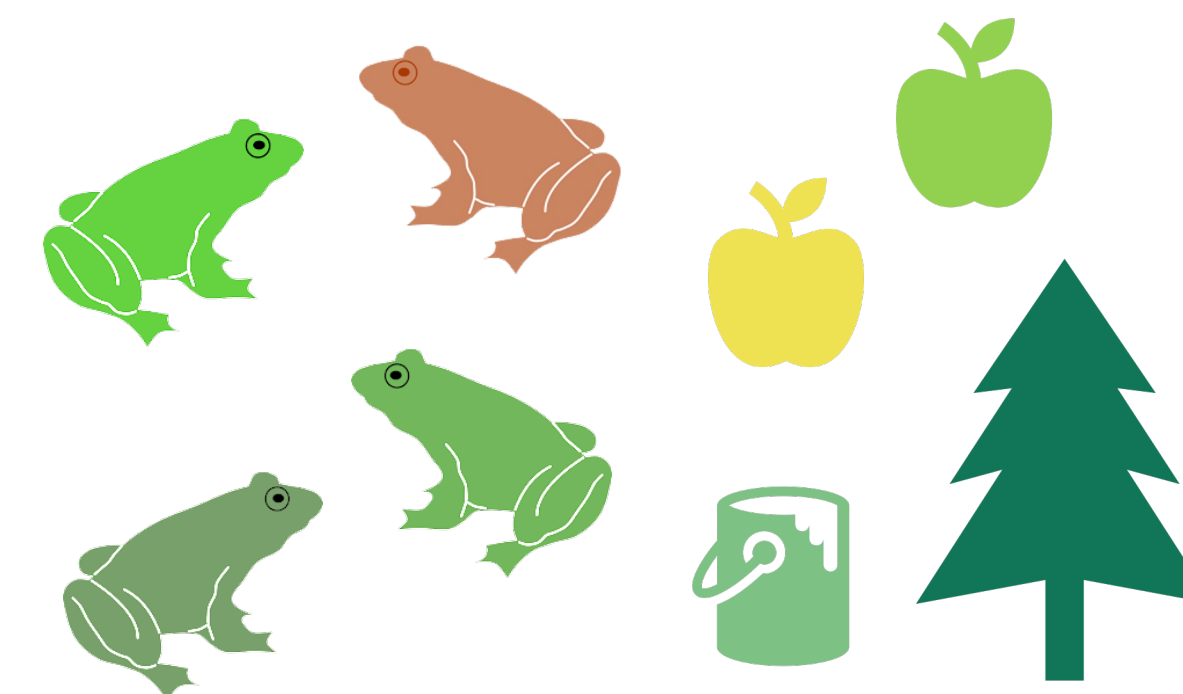


**Big Picture:** All natural language determiners have “conservative” meanings. If this typological universal reflects a deep fact about determiner semantics, non-conservative determiners should be impossible to learn. Novel quantifier learning experiments with adults bear out this prediction.

## The cross-linguistic universal “conservativity”

### Conservativity: The intuition

- The **noun phrase** that a **determiner** combines with “sets the stage”
- For sentences like **every/some/no frog** is green, only frogs (and their colors) matter
  - Compare: *only frogs* are green, where non-frogs (and their colors) matter too
  - Only – which isn’t a determiner [1] – is **non-conservative**



### Conservativity: A more formal definition

- A determiner **DET** is **conservative** iff duplicating its **first/NP argument** in its second/predicative argument is logically inert:

(1) [[DET NP] PRED] ↔ [[DET NP] [be NP that PRED]]

(2) **every frog** is green ↔ **every frog** is a **frog** that is green

(3) **only frogs** are green ↔ **only frogs** are frogs that are green

Since the former can be false while the latter is true, **only** is **non-conservative**

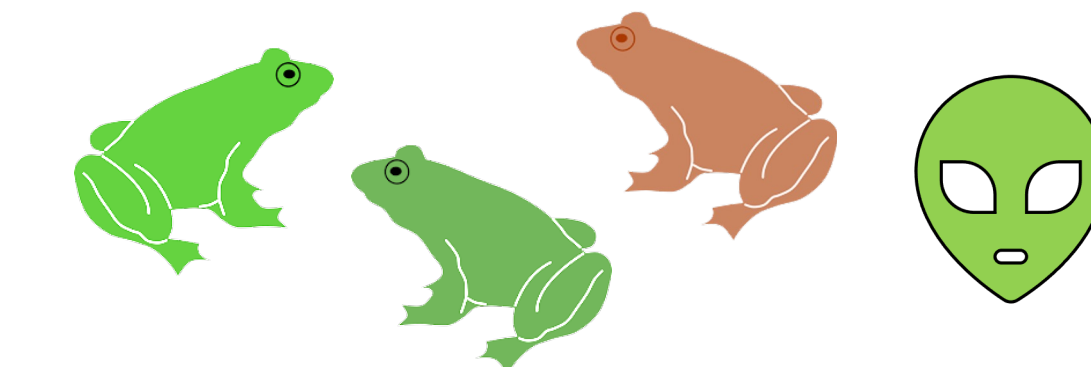
### All natural language determiners are conservative [e.g., 2-4]

- Languages have **conservative** determiners like **every**, but no language has **non-conservative** determiners like **equi**

(4) **equi frogs** are green

≈ the **frogs** are equinumerous with the green things (true; 3=3)

↔ the **frogs** are equinumerous with the **frogs** that are green (false; 3≠2)



- This typological generalization has been argued to reflect a **fundamental property of the language faculty** [e.g., 5-9]
  - Suggests a connection to learnability: it should be impossible to pair **non-conservative** meanings with **determiners**

## Prior work pursuing a conservativity-learnability link

### Hunter & Lidz (2013): Picky Puppet Task [10]

- Taught 5-year-olds a novel quantifier that was either **conservative**, as in (5), or **non-conservative**, as in (6)

(5) **gleeb girls** are on the beach

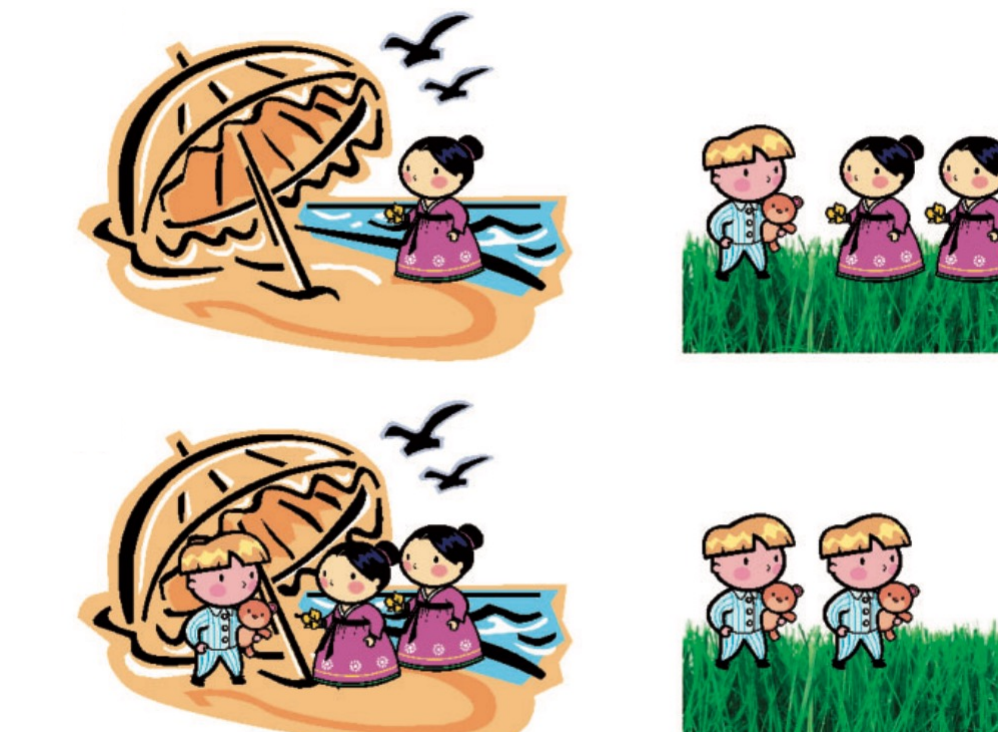
≈ not all **girls** are on the beach (true; 2 girls on grass)

↔ not all **girls** are **girls** that are on the beach (true; 2 girls on grass)

(6) **gleeb girls** are on the beach

≈ not only **girls** are on the beach (true; 1 boy on beach)

↔ not only **girls** are **girls** that are on the beach (false; contradiction)



- Tested on unseen scenes; asked to sort them according to whether the picky puppet liked the scene or not

**5-year-olds showed a learnability advantage** for the **conservative** vs. the **non-conservative** quantifier

On average, children were **82%** correct vs. **62%** correct; **5/10** vs. **1/10** participants perfectly sorted novel scenes

### Spenader & de Villiers (2019): Attempted Replication [11]

- Failed to find a learnability advantage for the conservative **gleeb**, both in children and in adults

**5-year-olds showed no significant effects of learning** in either the **conservative** or **non-conservative** condition

On average, children were **60%** correct vs. **68%** correct when confronted with novel scenes

**Adults showed the opposite effect:** **56%** correct vs. **69%** correct; **1/9** vs. **4/9** perfect sorters

## Current experiments

### Differences between Hunter & Lidz’s task and current experiments:

- Avoiding the partitive (*gleeb girls are on the beach*) vs. embracing it (*gleeb of the circles are blue*)
- Picky puppet task (figure out which scenes the puppet likes) vs. explicit word-learning task (figure out what *gleeb* means)
- Using negations of existing words (**not all** vs. **not only**) vs. a new pair of **conservative** and **non-conservative** meanings:

(7) **gleeb** of the **circles** are blue

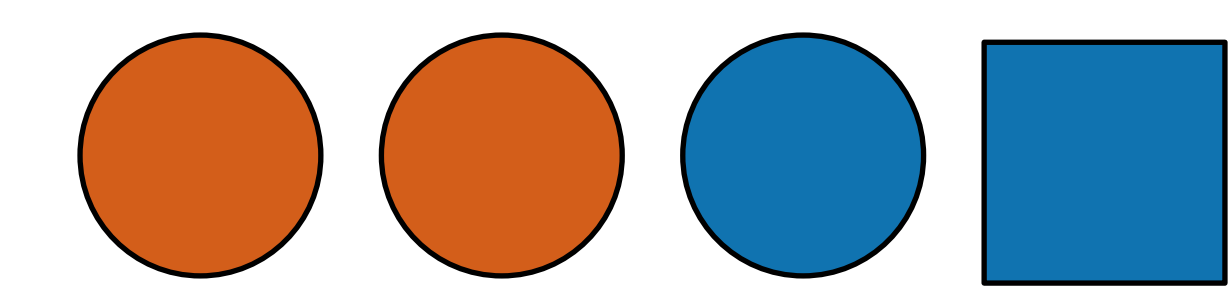
≈ all but one of the **circles** are blue

↔ all but one of the **circles** are **circles** that are blue

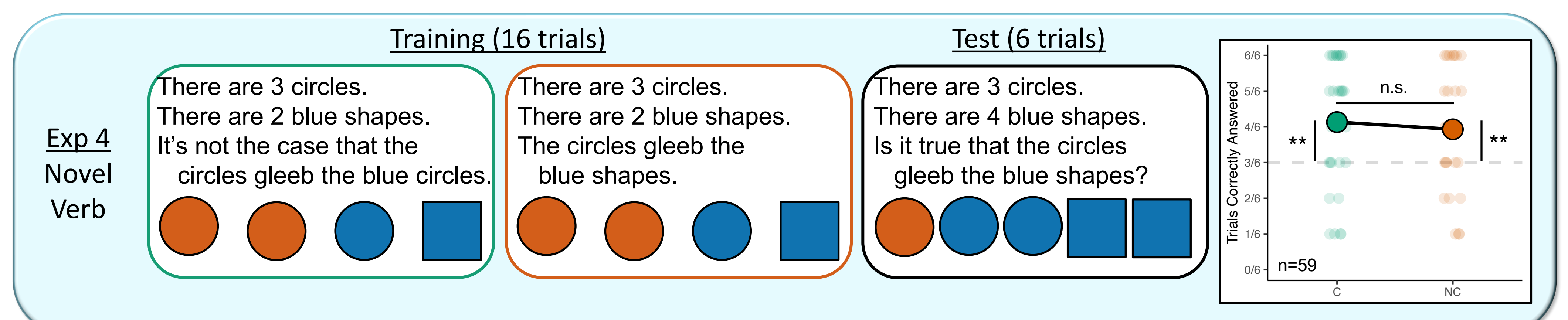
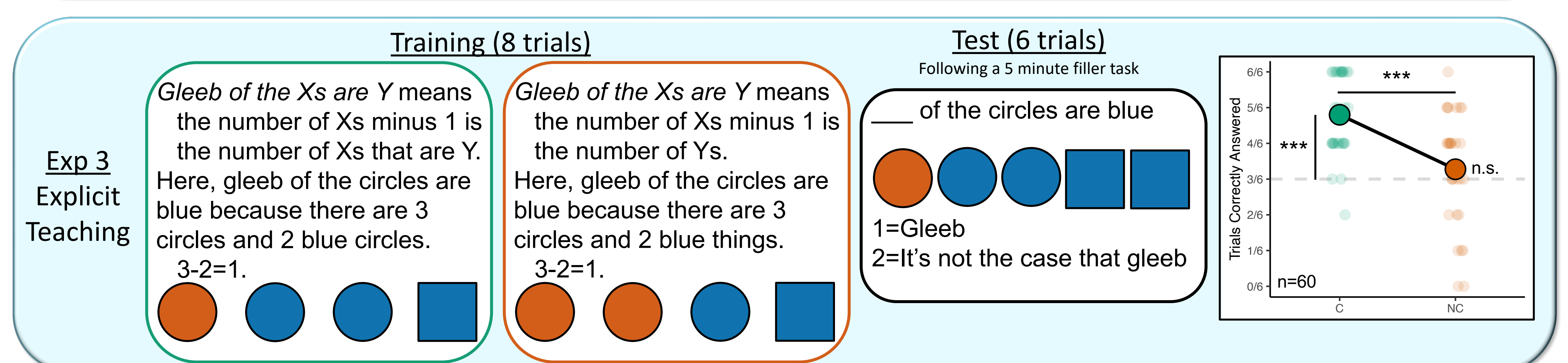
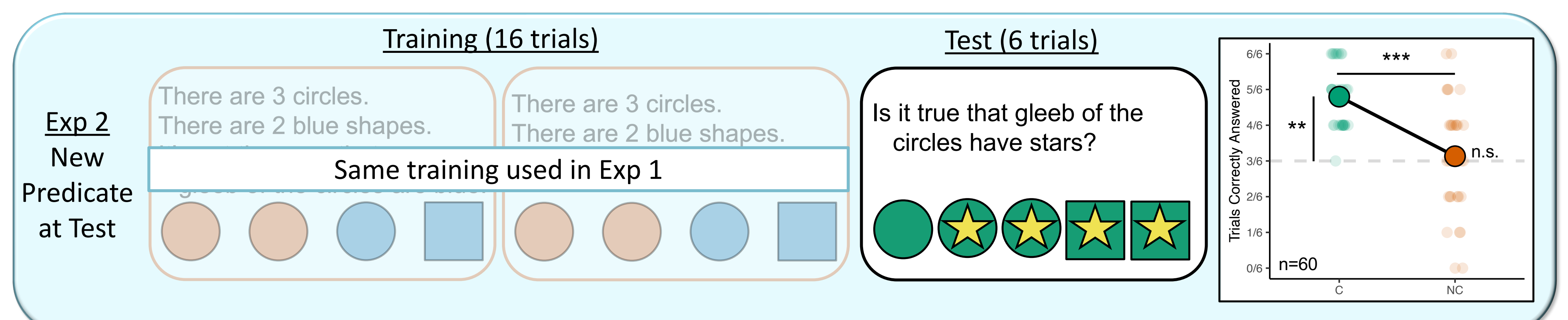
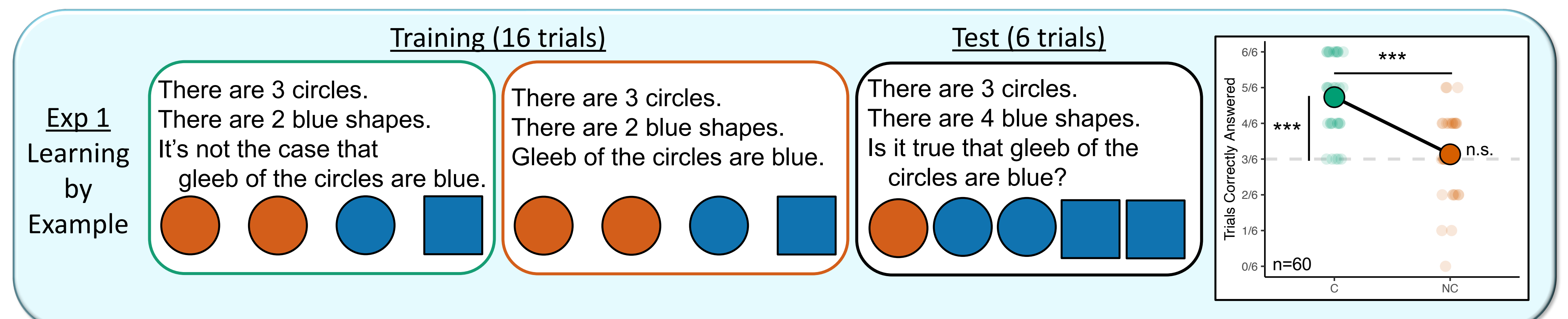
(8) **gleeb** of the **circles** are blue

≈ the **circles** outnumber by 1 the blue things

↔ the **circles** outnumber by 1 the **circles** that are blue things (false; 3 circles – 1 ≠ 1 blue circle)



(true; 3 circles – 1 = 2 blue things)



**Takeaway:** Conservativity and learnability are connected, as predicted by views on which conservativity isn’t a historical accident or general cognitive/communicative tendency, but a cornerstone of the semantics of determiners [e.g., 5-9]